

Jointes de grains : couplage entre modélisation et microscopie électronique haute résolution

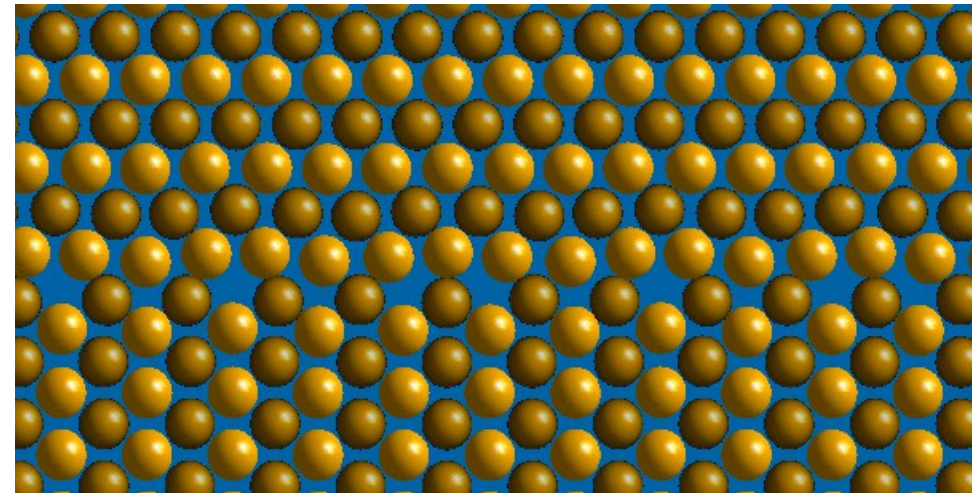
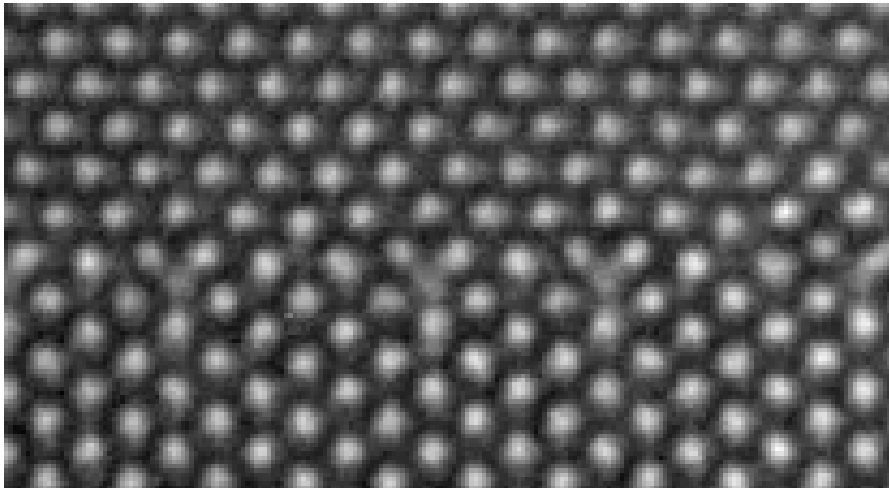


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Lab. de simulation atomistique (L_Sim), Inac/SP2M, CEA, **Grenoble**, France
Lab. d'Étude des Matériaux par Microscopie Avancée (Lemma), *idem*

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National Center of Electron Microscopy, LBNL, **Berkeley**, USA

Joint de grain incommensurable

Microscopie électronique ↔ Expérience numérique





- **L_Sim** : Laboratoire de simulations atomistiques
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- **INAC** → Institut de Nanosciences et Cryogénie



- **CEA-Grenoble**

Chercheurs L_Sim : 7 permanents,
4 doctorants,
5 post-doctorants

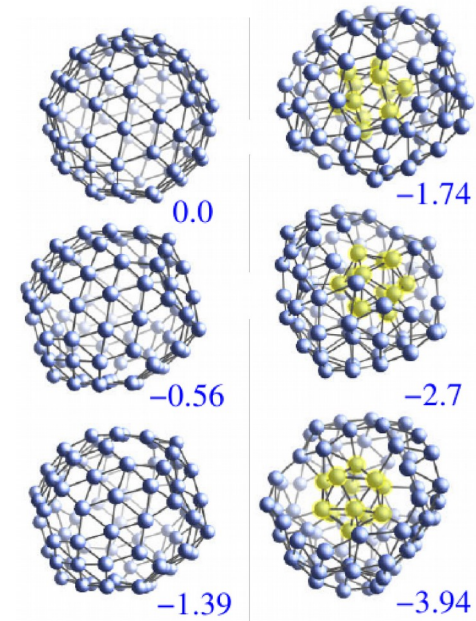
- Méthodes ab initio (BigDFT) : Thierry Deutsch, Luigi Genovese, Laura Ratcliff
- Modélisation des matériaux (batterie, matériaux sp²-sp³, défauts Si) : Damien Caliste, Pascal Pochet, Eduardo Machado-Charry, Sridevi Krishnan, Gilles Brenet, Dilyara Timerkaeva
- Nano-électronique et liaisons fortes : Ivan Duchemin, Yann-Michel Niquet, Manuel Cobian, Viet-Hung Nguyen
- Modélisation photo-voltaïque organique (coll. X. Blase, code Fiesta) : Carina Faber
- Nano-exploration : (structures atomiques et magnétisme) : Frédéric Lançon, Giovanni Vinai

L_Sim : développement de méthodes originales pour simulation à l'échelle atomique

BigDFT
 ab initio, DFT, ondelettes
 Couplage avec ART

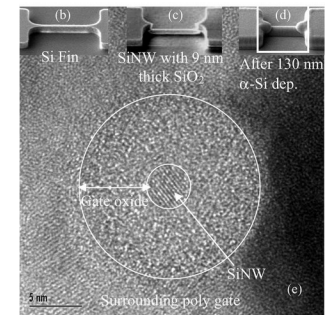
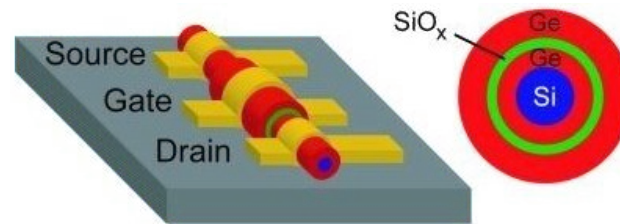
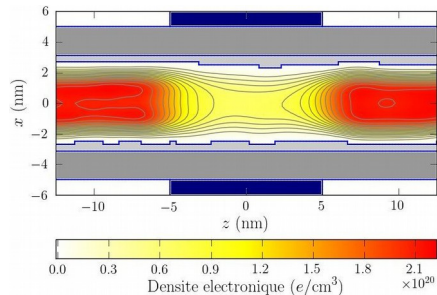
Cinétique, croissance,
 caractérisation
 cages, défauts ponctuels

Énergies renouvelables
 Batteries, Photovoltaïque



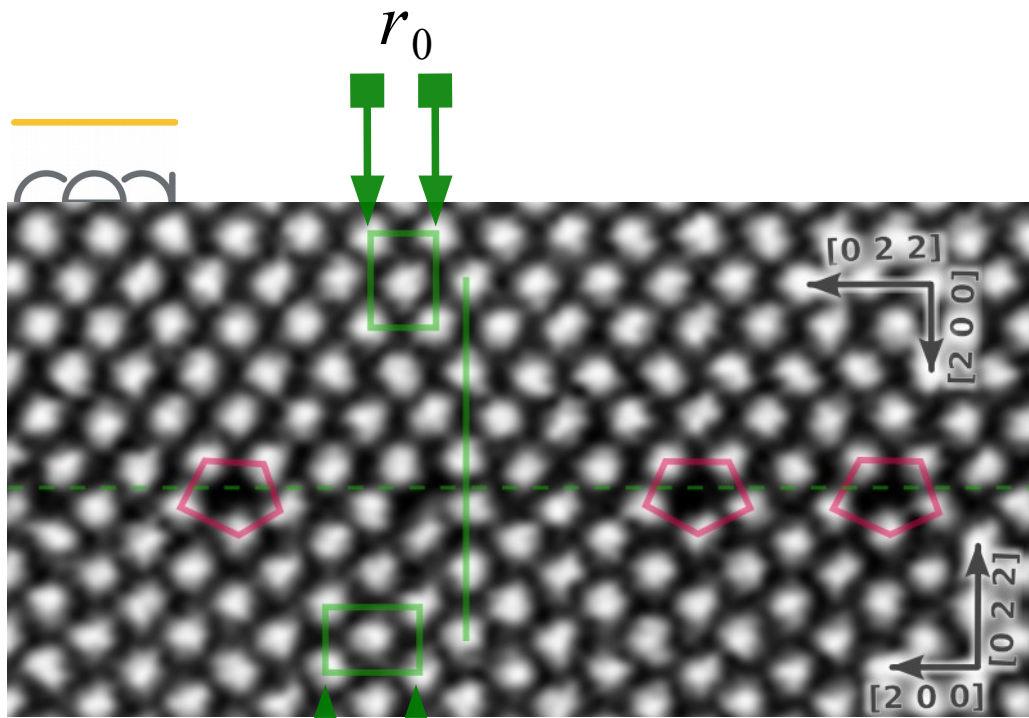
TB_Sim
 Transport électronique
 Couplage électron-phonon
 Fonctions de Green hors-équilibre

Nano-électronique
 Nanofils, transistors ultimes
 (électron unique, blocage de Coulomb)



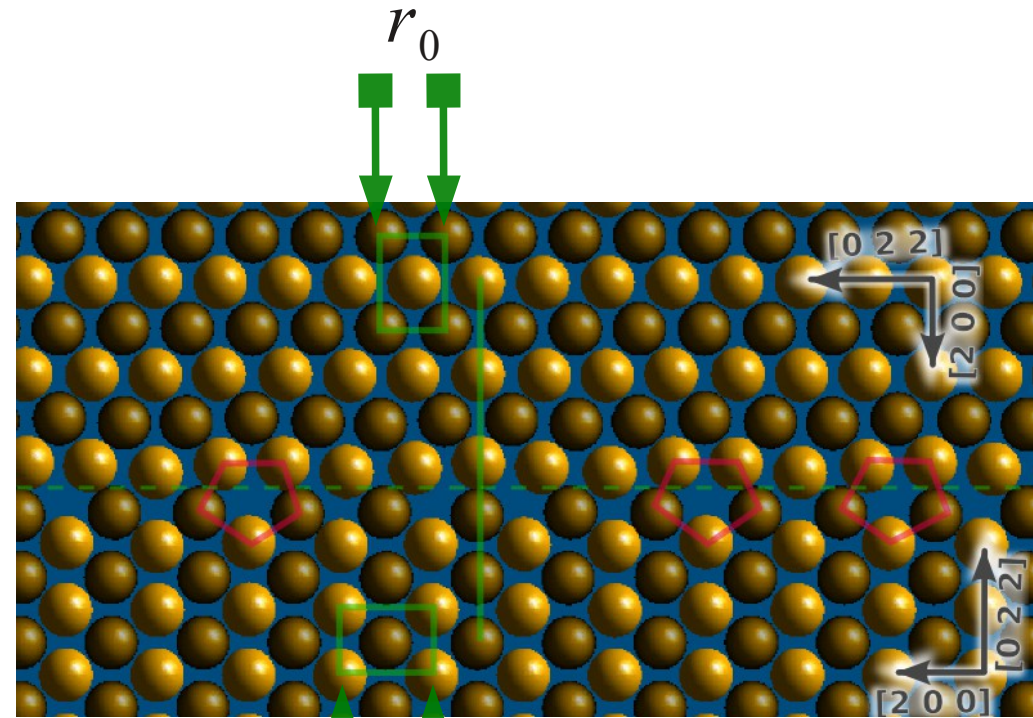
V_Sim, Mi_Magnet, d3_Sim, ...

Au \overline{Au} incommensurate 90° $\langle 110 \rangle$ tilt grain boundary




electron microscopy
U. Dahmen
(Berkeley)

$a_{FCC} = \sqrt{2} r_0$



EAM interatomic potential
modeling
(Grenoble)

$a_{FCC} = \sqrt{2} r_0$

 N -body potentials:
$$E_{pot} = \sum_{i,j}^N \phi(r_{ij}) - \sum_i^N F(\rho_i)$$

$F(\rho), \phi(r), \psi(r)$
 functions to be fitted

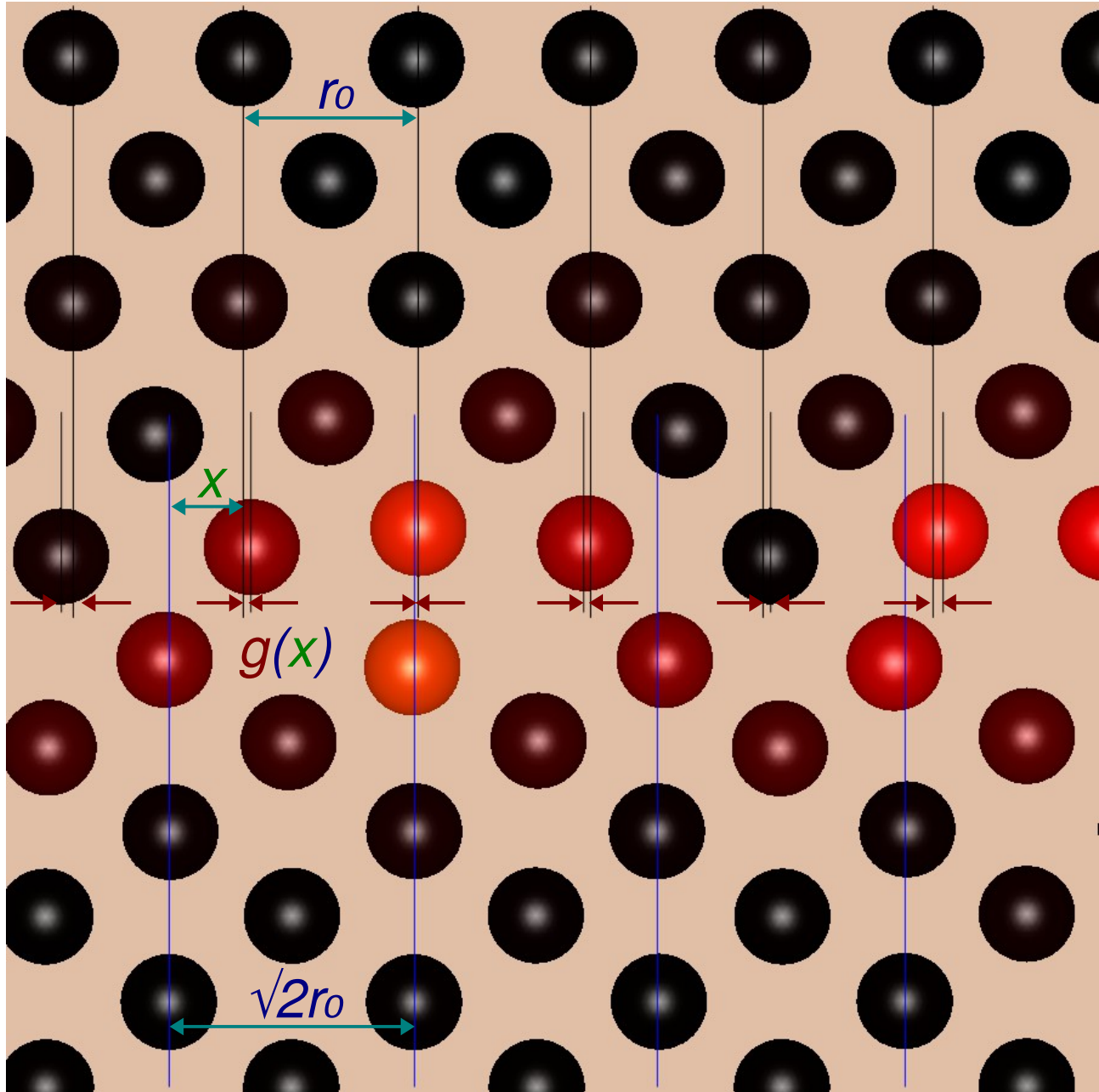
$\rho_i = \sum_{j \neq i} \psi(r_{ij})$
 local "e⁻ density"

$$E = \sum_{\{i,j\}} A_{ij} \exp \left\{ -p_{ij} \left(\frac{r^{ij}}{r_0} - 1 \right) \right\} - \sum_i \left[\sum_j \beta_{ij}^2 \exp \left\{ -2q_{ij} \left(\frac{r^{ij}}{r_0} - 1 \right) \right\} \right]^{1/2}$$

 The fits have been done using experimental data.

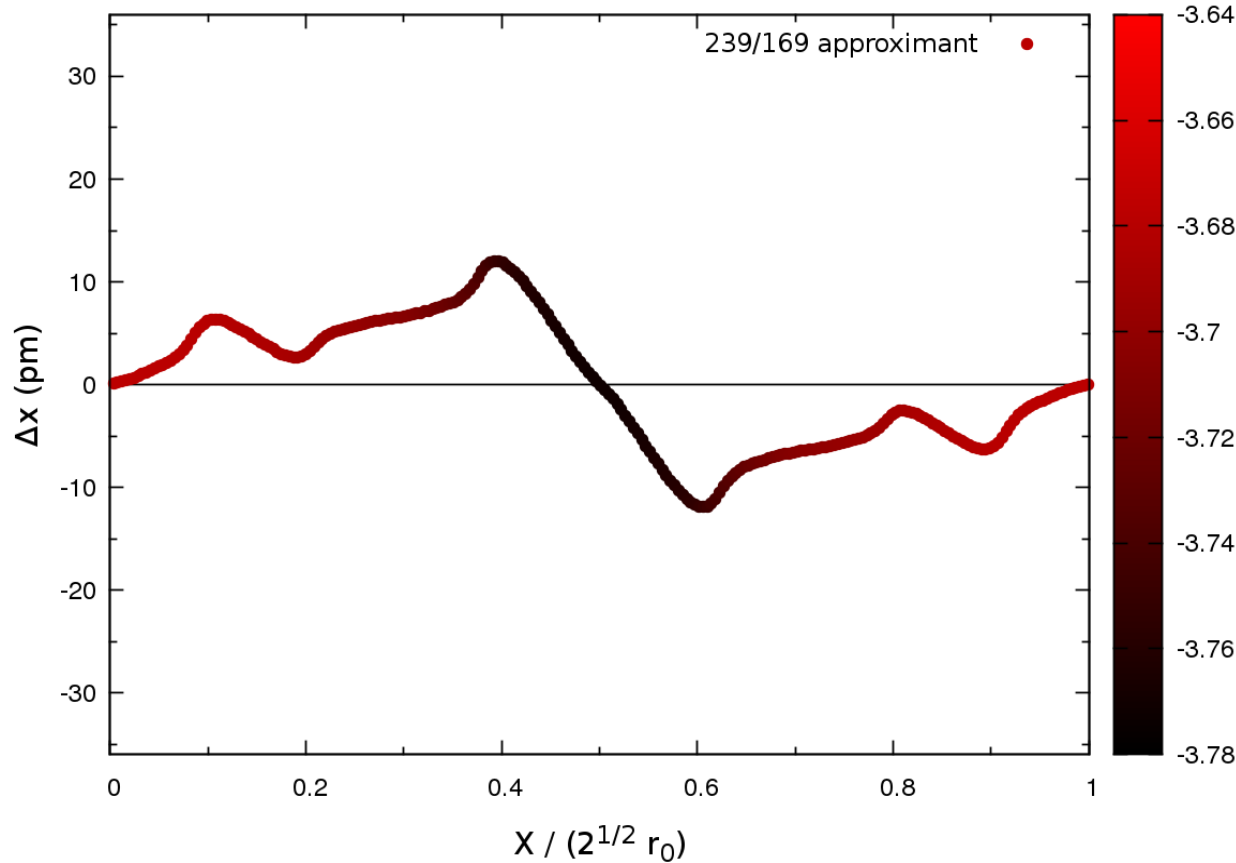
Au: Deutsch *et al*, JOP: C.M. 7 (1995) 6407.

Incommensurate grain boundary in Gold : Au | Au

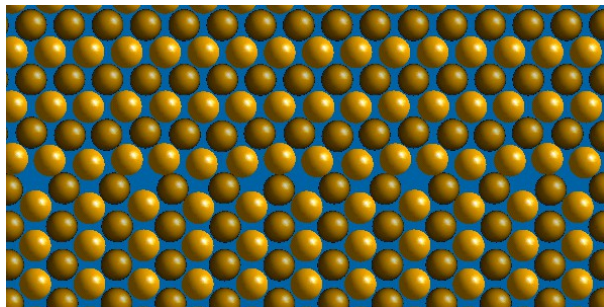
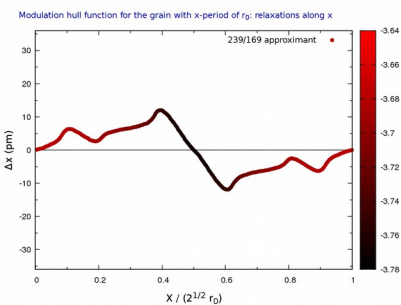


- Let us generalize, for incommensurate grain boundaries, the **hull function** introduced by Serge Aubry (1978) to analyze the Frenkel-Kontorova model (1D harmonic chain in an external periodic potential):
- ground state $\{x_i\}$
 - $x_i = i r_0 + \alpha + g(i r_0 + \alpha)$
 - $g(x) = g(x + \sqrt{2} r_0)$
 - $g(x)$ is the modulation hull function
 - $\alpha \in \mathbb{R}$ and indexes the ground states.

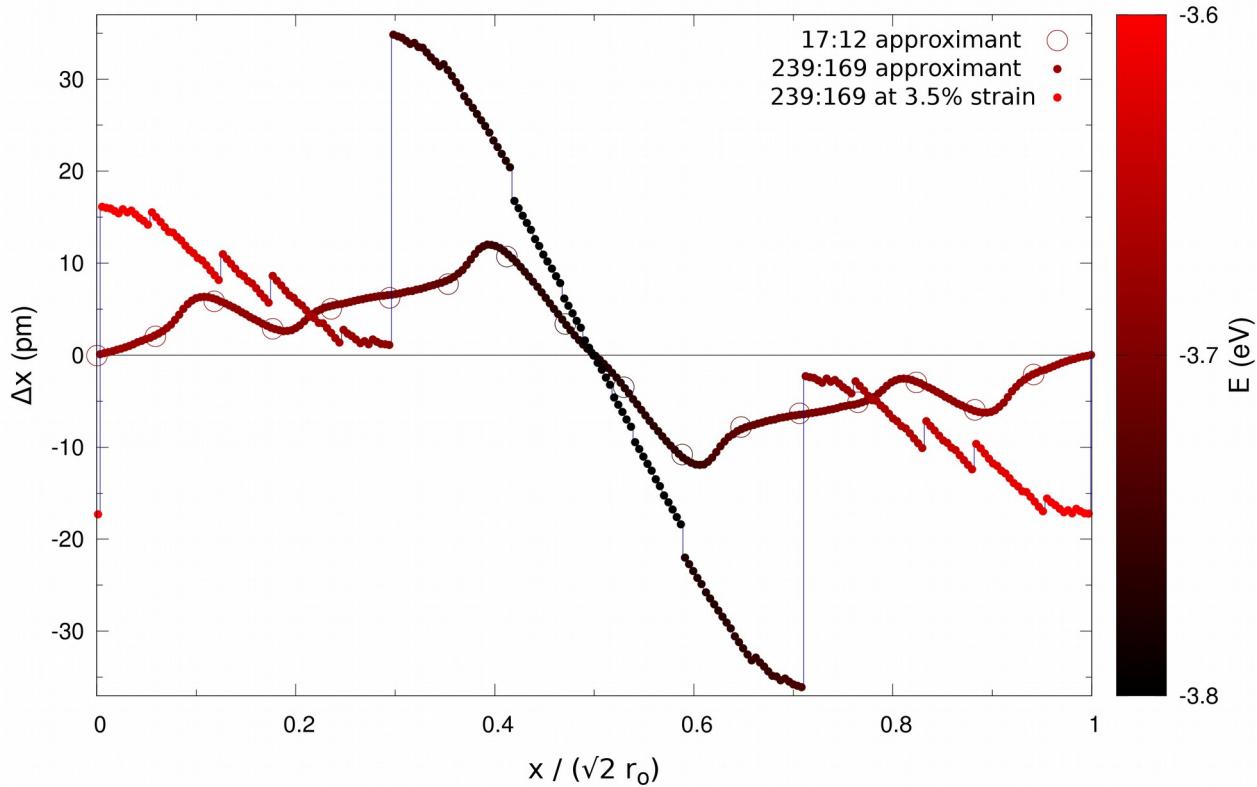
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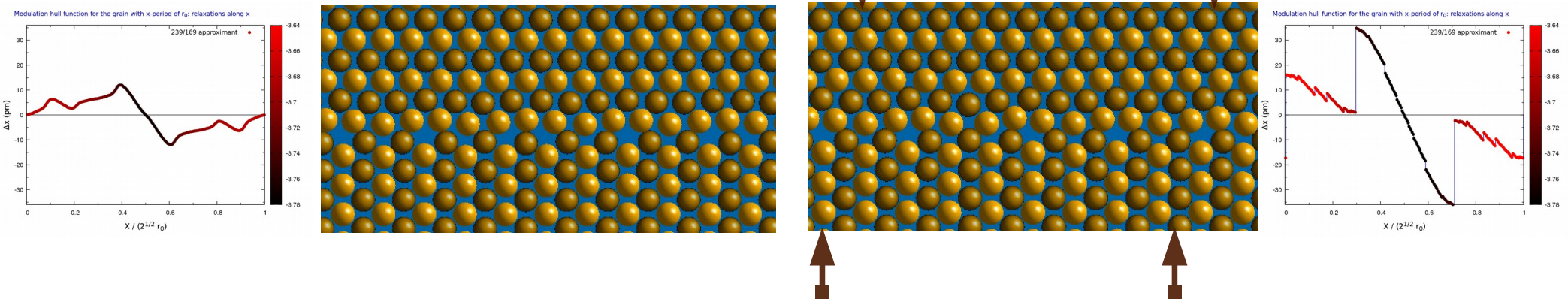
Incommensurate grain boundary in Gold : Au | Au



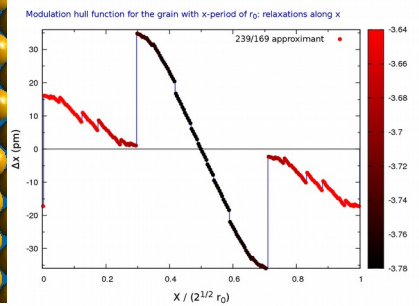
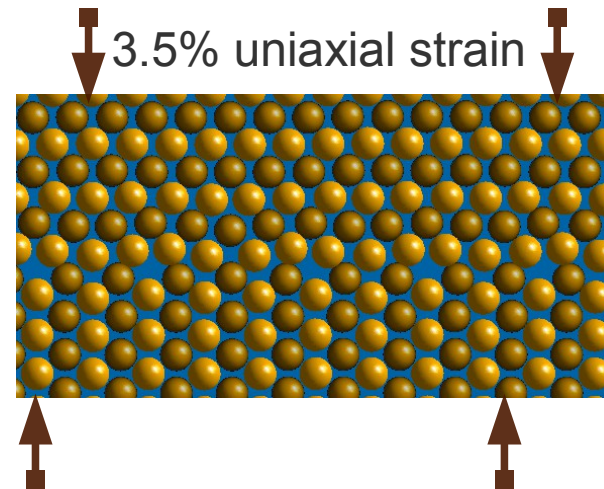
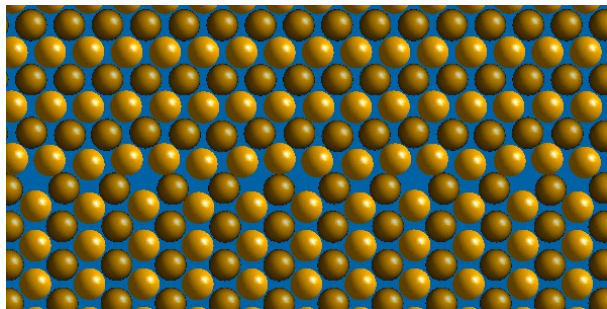
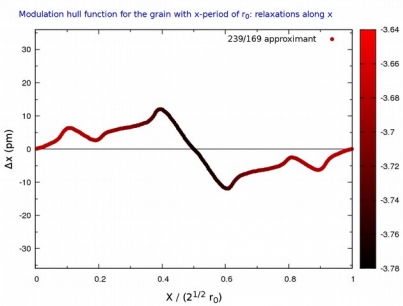
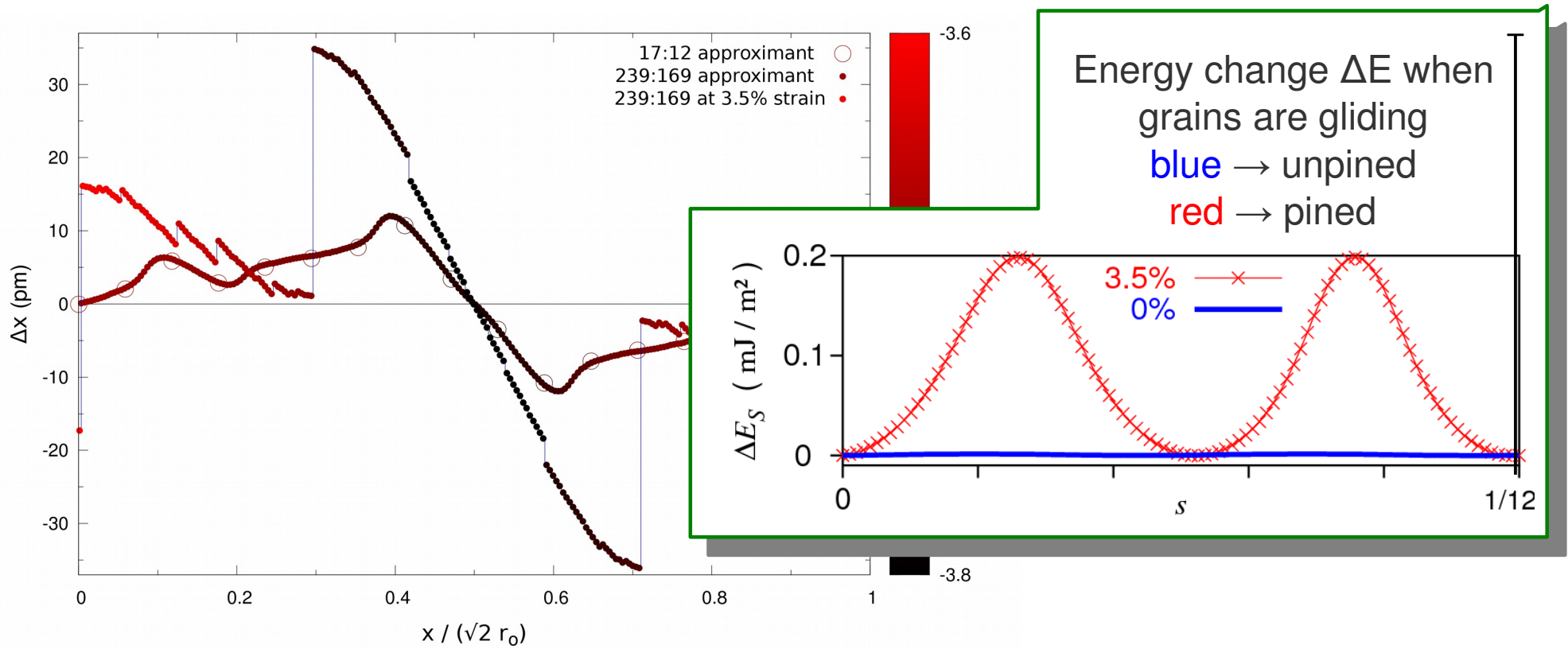
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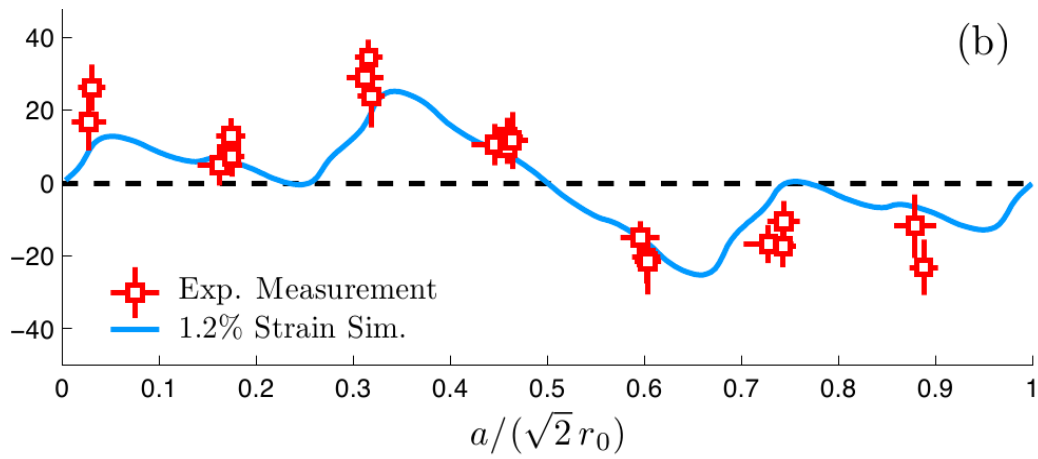
3.5% uniaxial strain



Incommensurate grain boundary in Gold : Au | Au



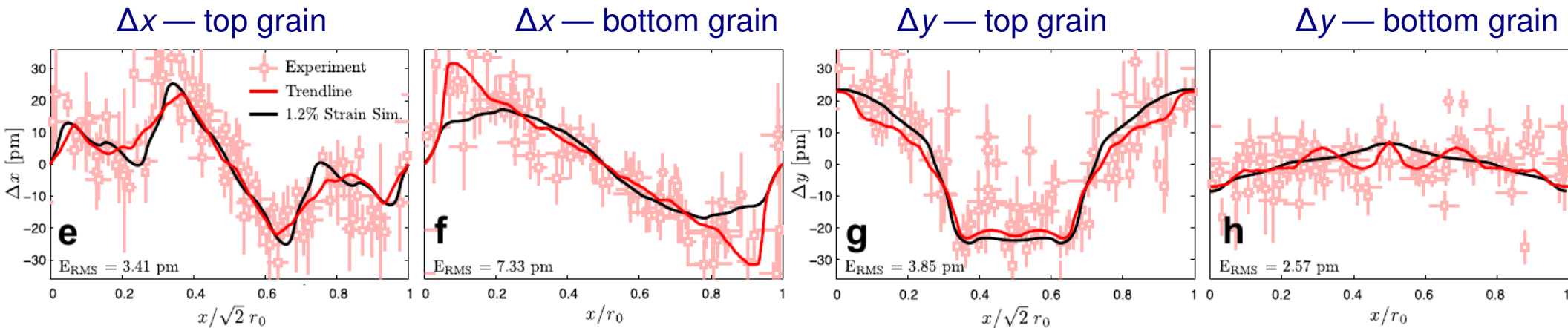
Incommensurate grain boundary in Gold : Au | Au



←(squares) Experimental measurement on one segment of the grain boundary.

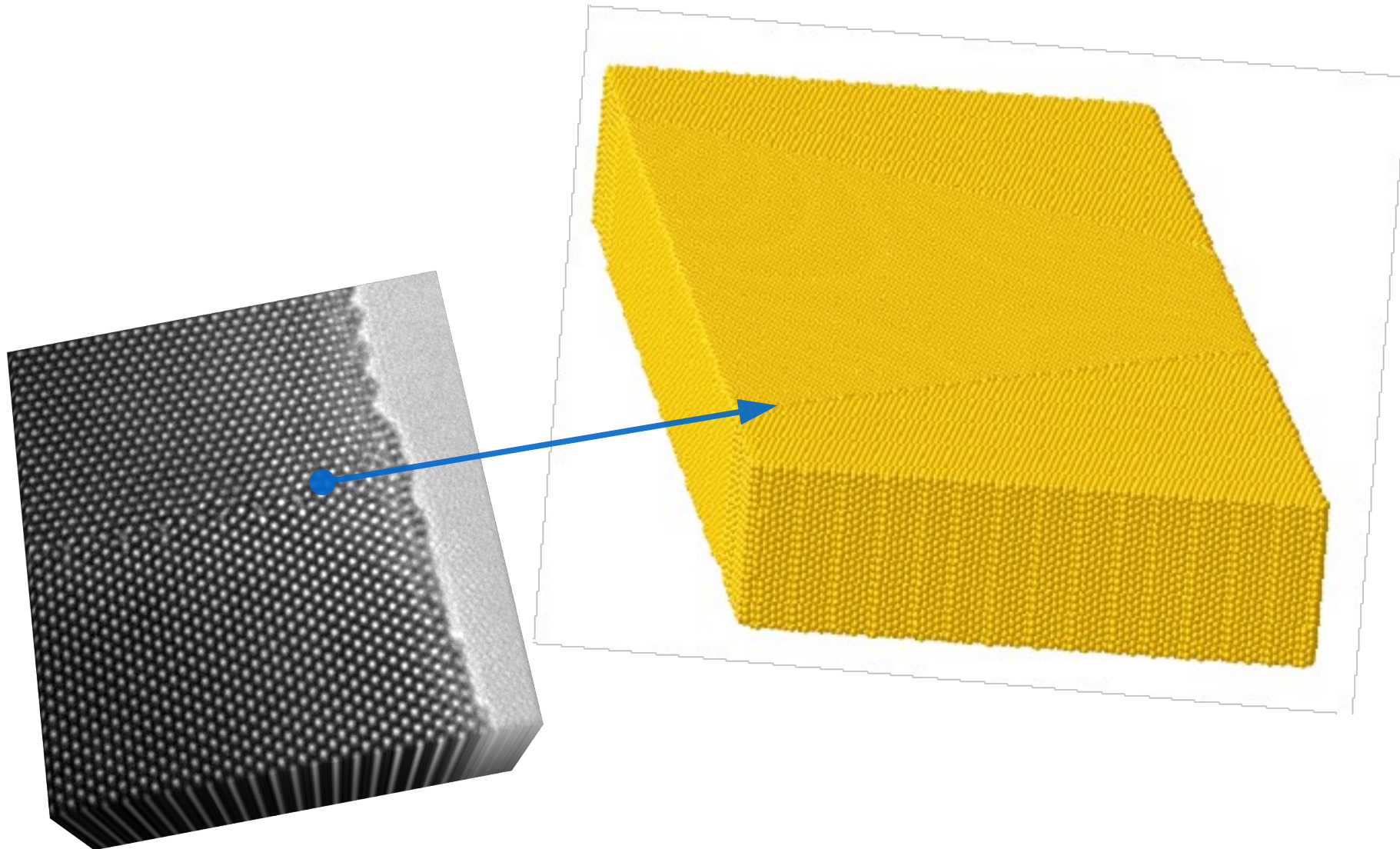
←(line) model.

○ each experimental image corresponds to **one** value of the ground state index α ...
... but with the same hull function $g(x)$.

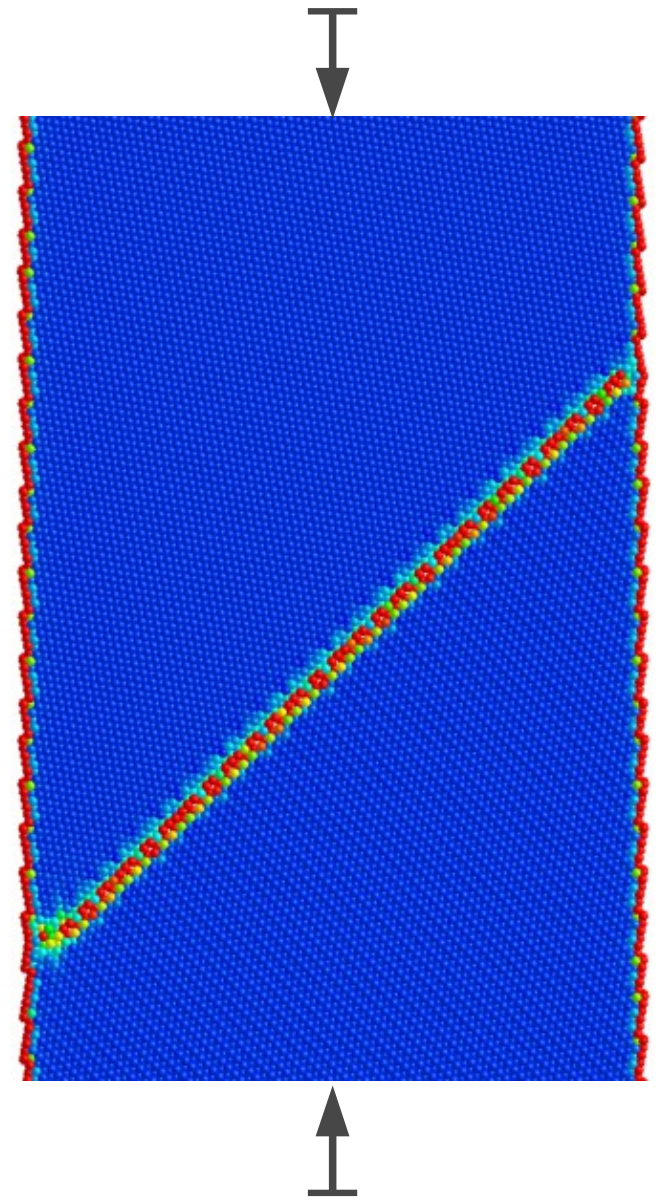
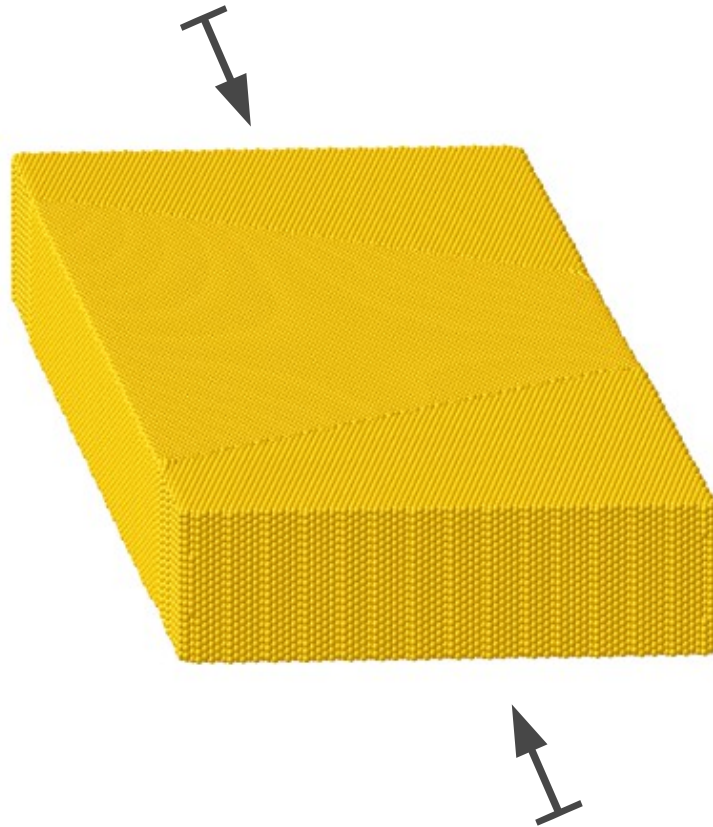
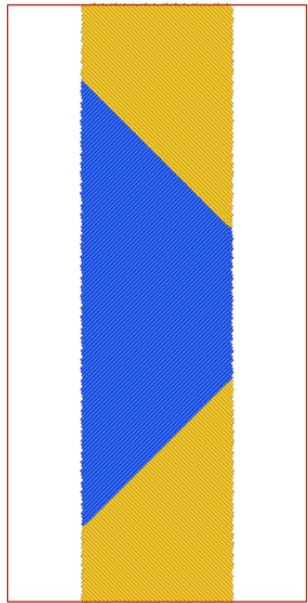


— Atomic Structure Characterization of an Incommensurate Grain Boundary ;
A. Gautam¹, C. Ophus¹, F.Lançon², V. Radmilovic¹ and U. Dahmen¹ ; submitted at Acta Materialia (January 2013)

Incommensurate grain boundary: testing the supergliding property



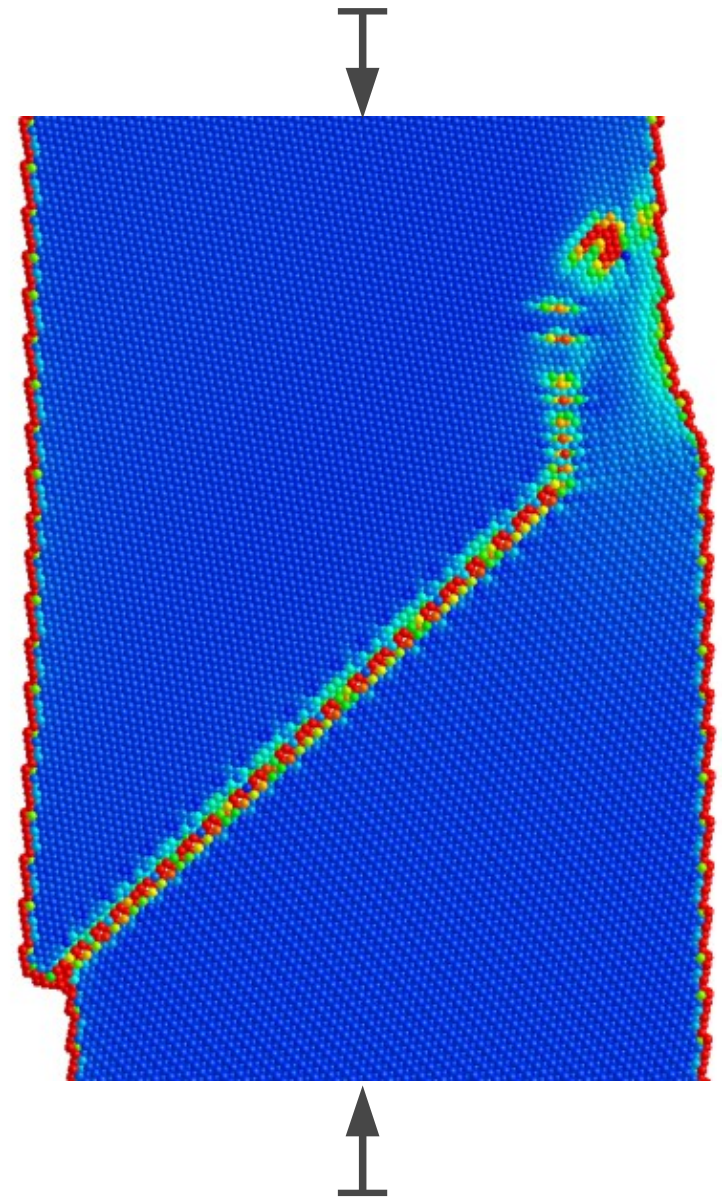
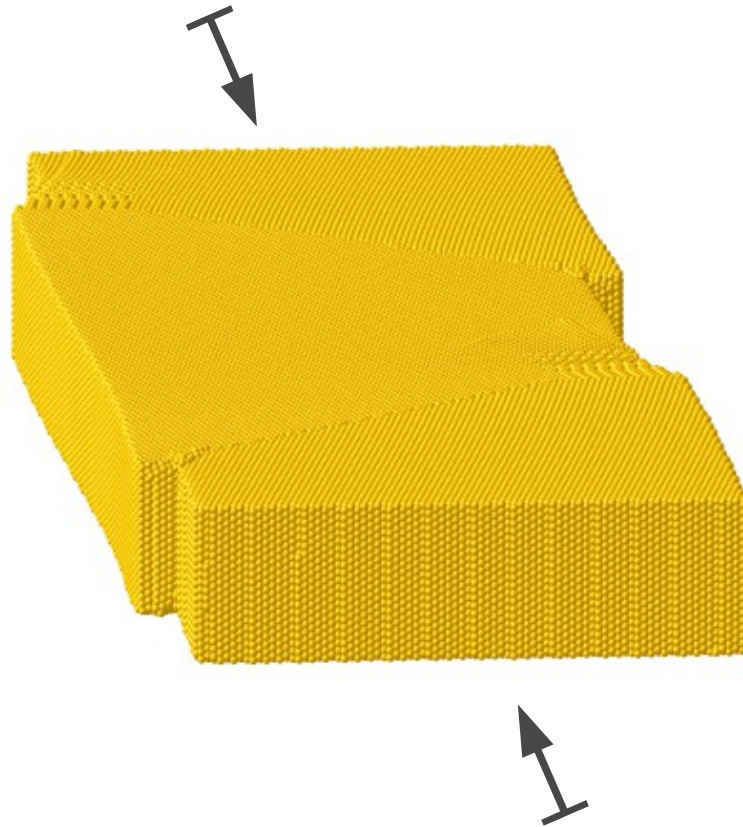
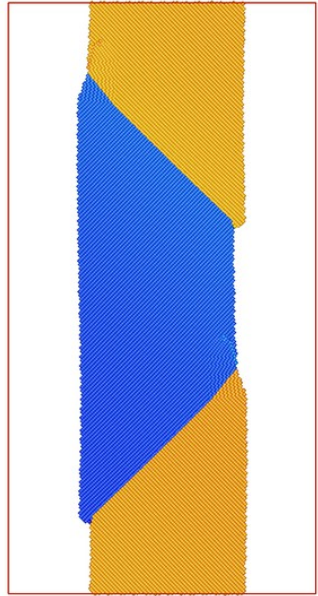
Nano-mechanical test: simulation



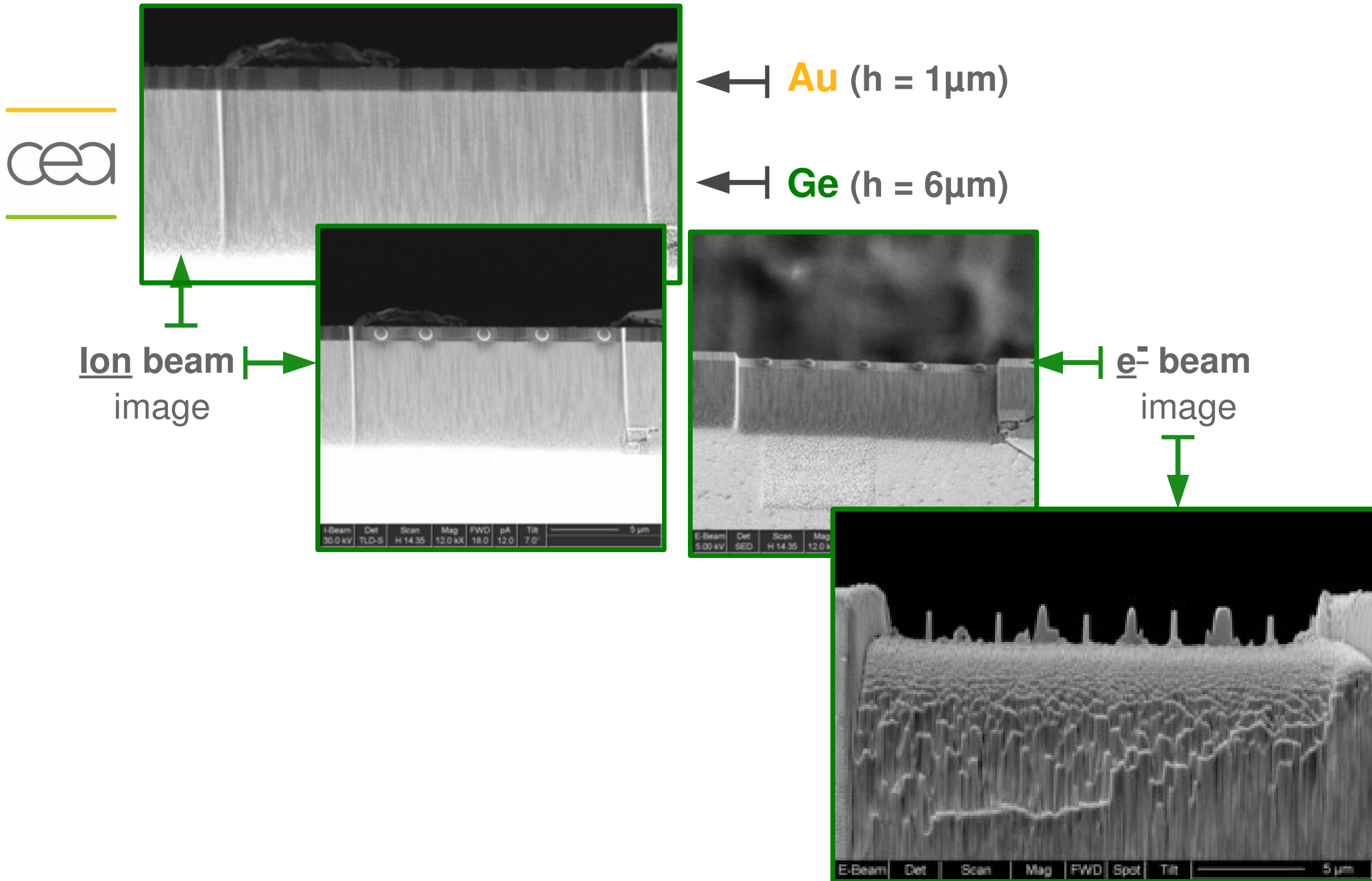
Nano-mechanical test: simulation



Strain: $\Delta h = 3.2$ nm

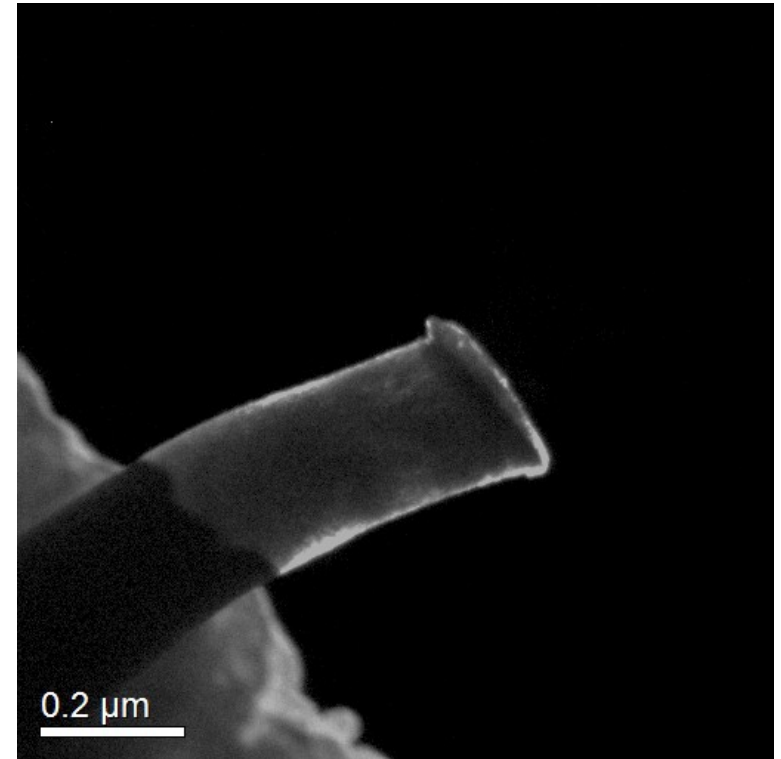
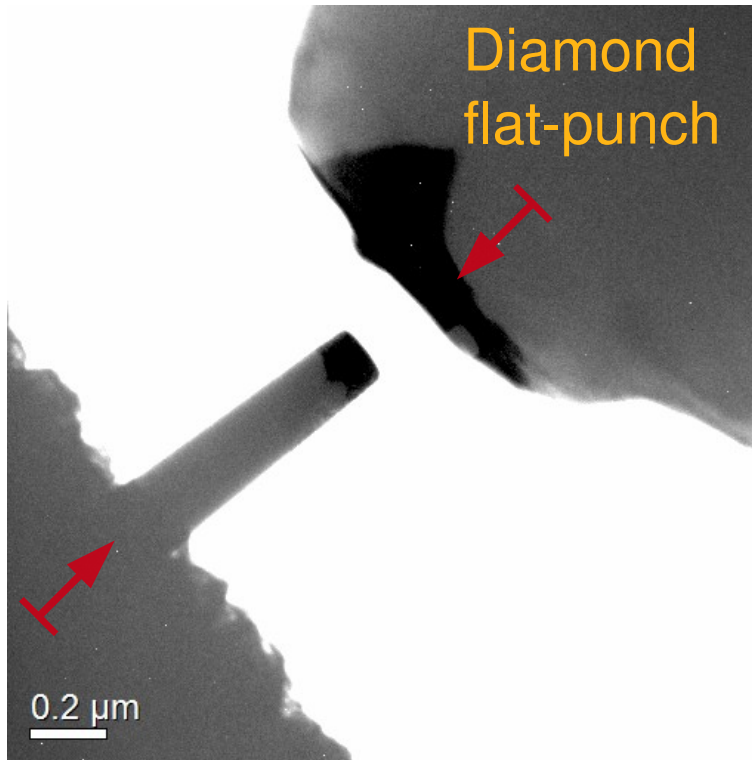
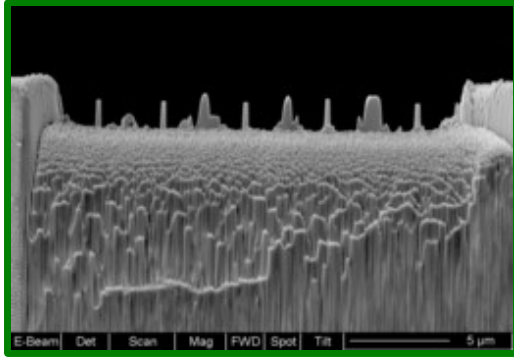


Using FIB: gold nano-pillars: $\sim 1 \mu\text{m} \times \varnothing 200 \text{ nm}$ (NCEM - Berkeley)

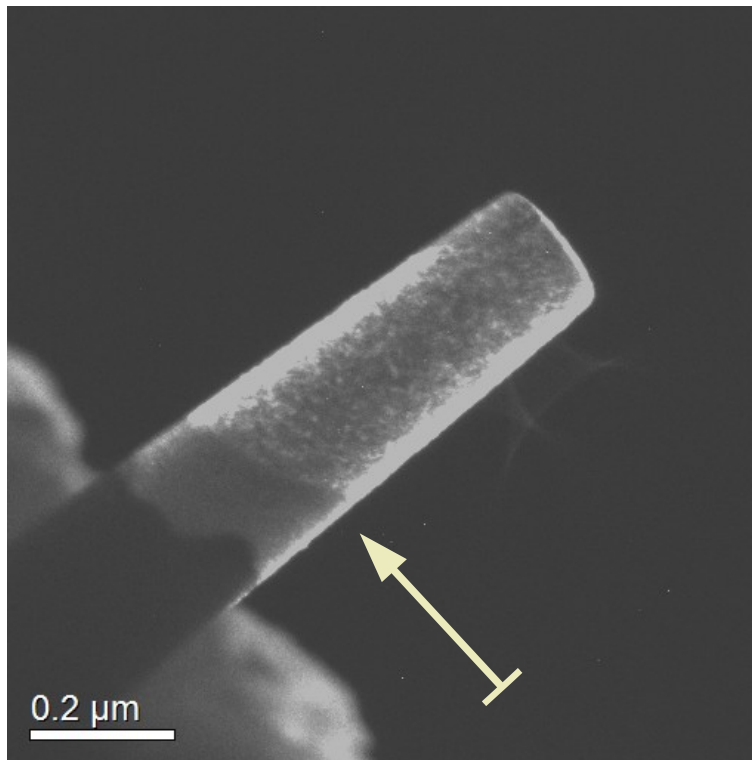


Nano-mechanical test: in the microscope (*in situ*)

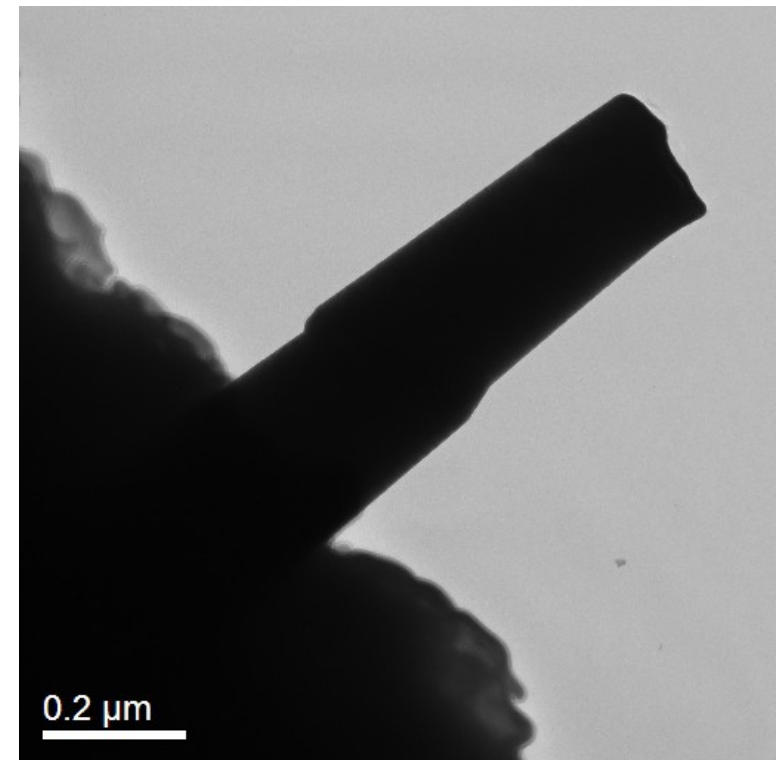
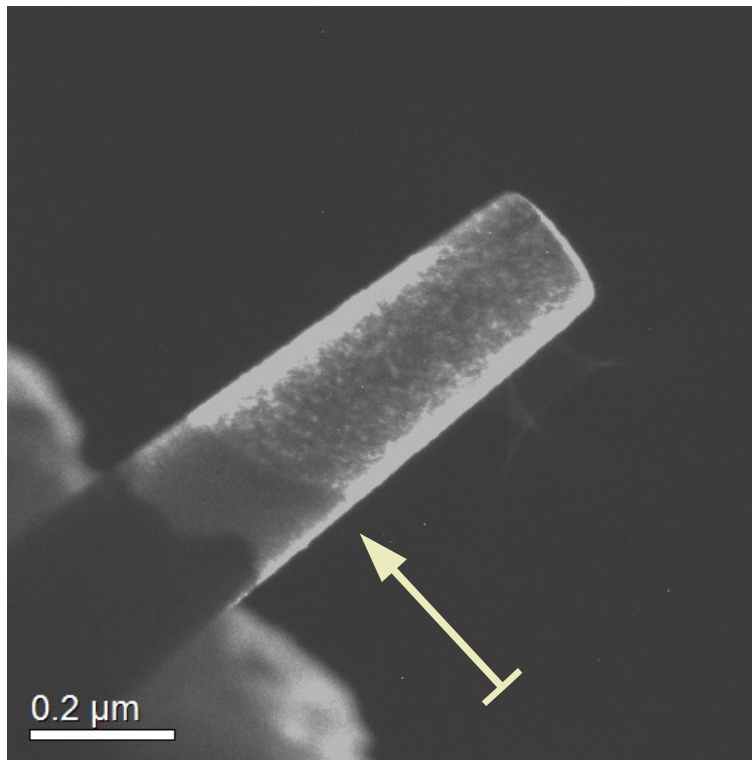
cea



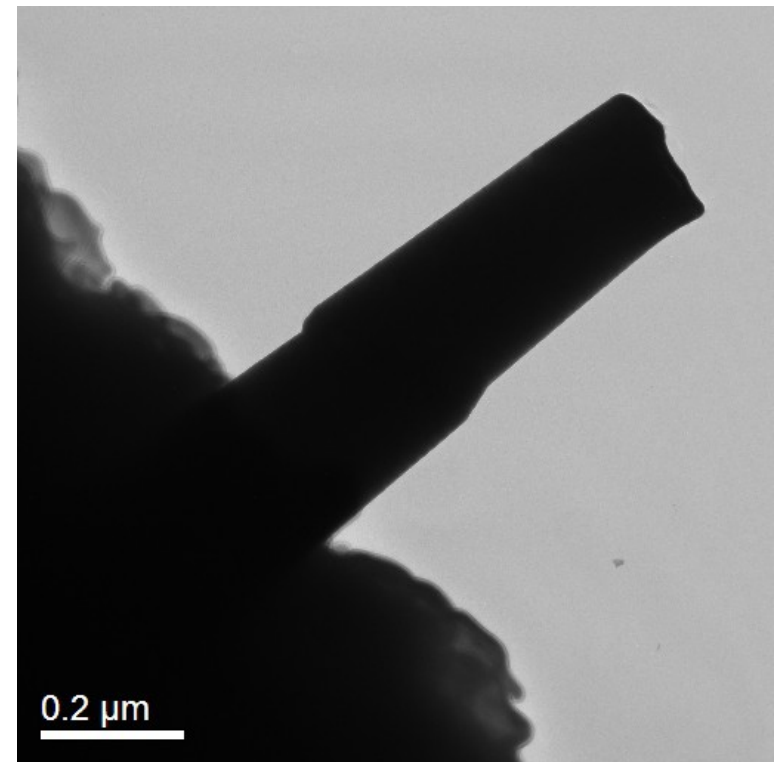
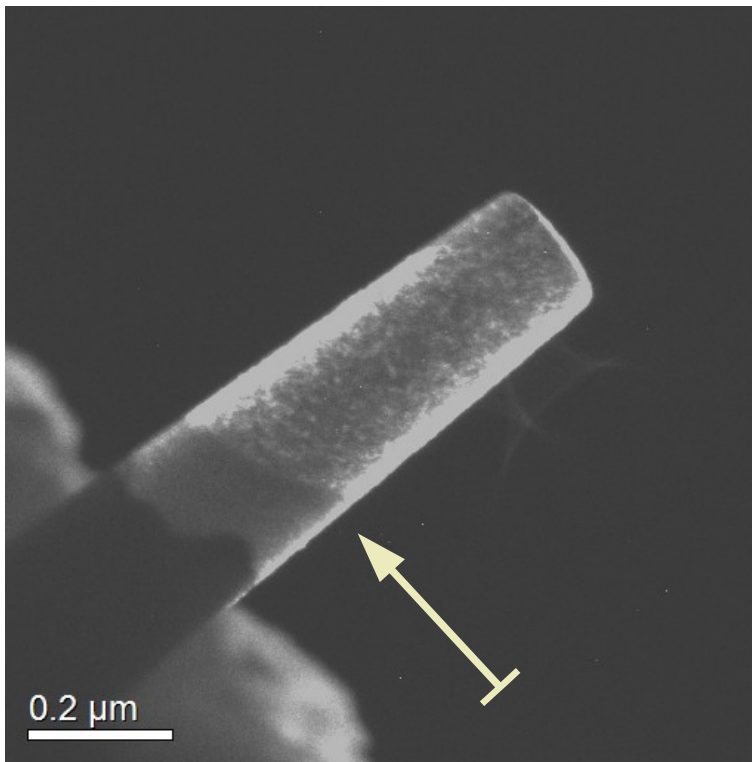
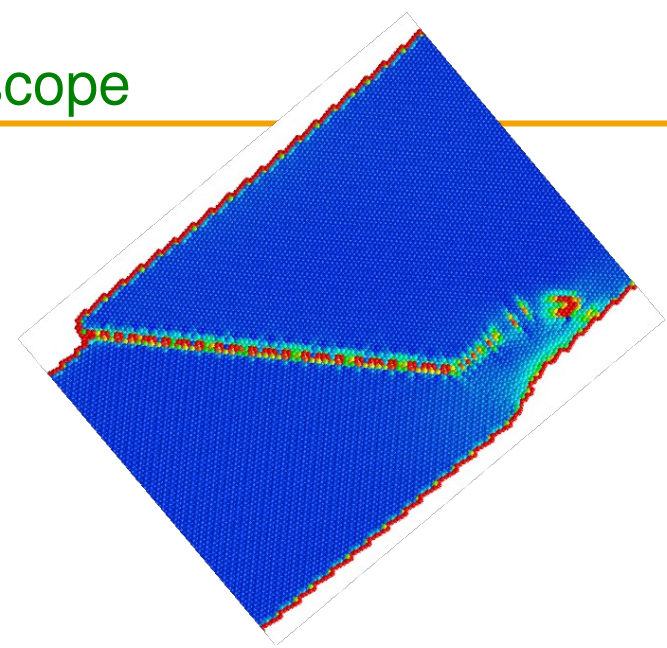
First successful mechanical test in the microscope



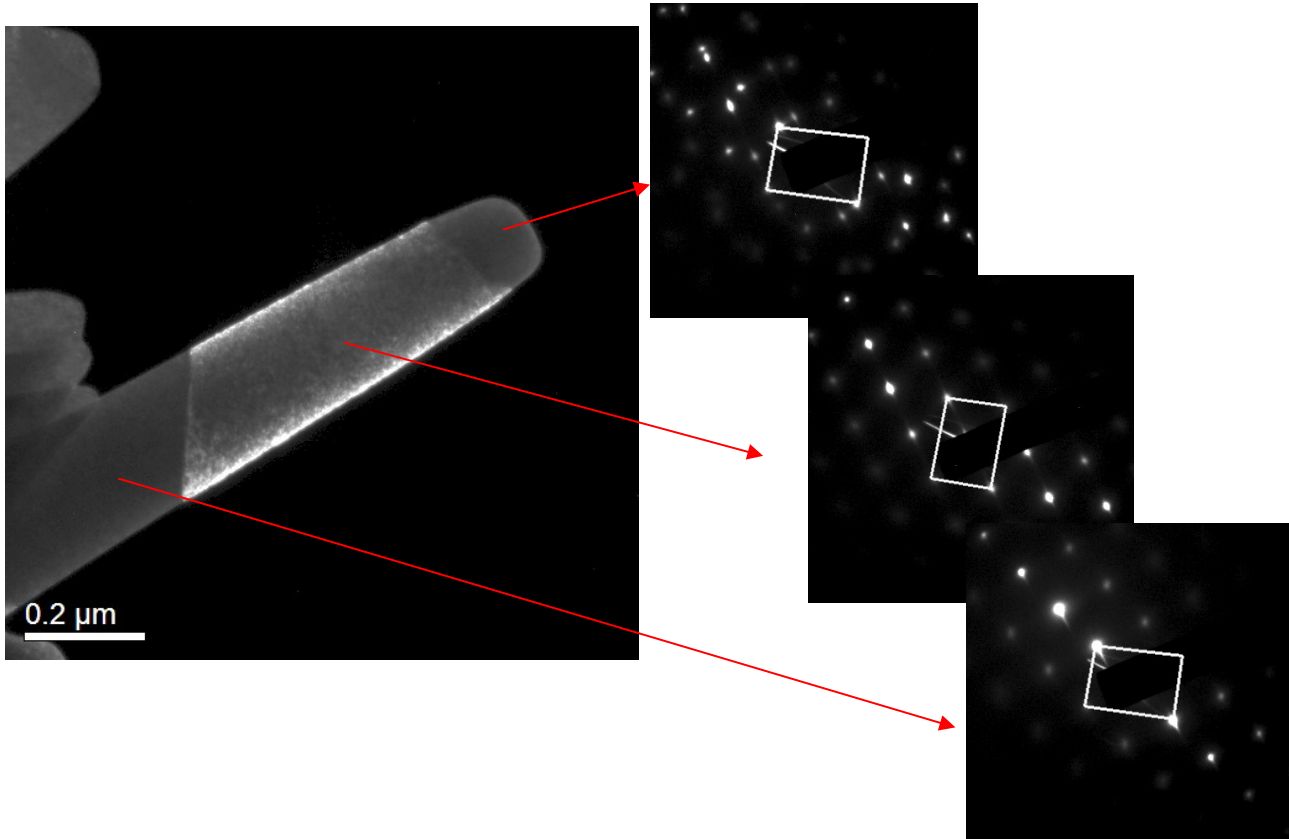
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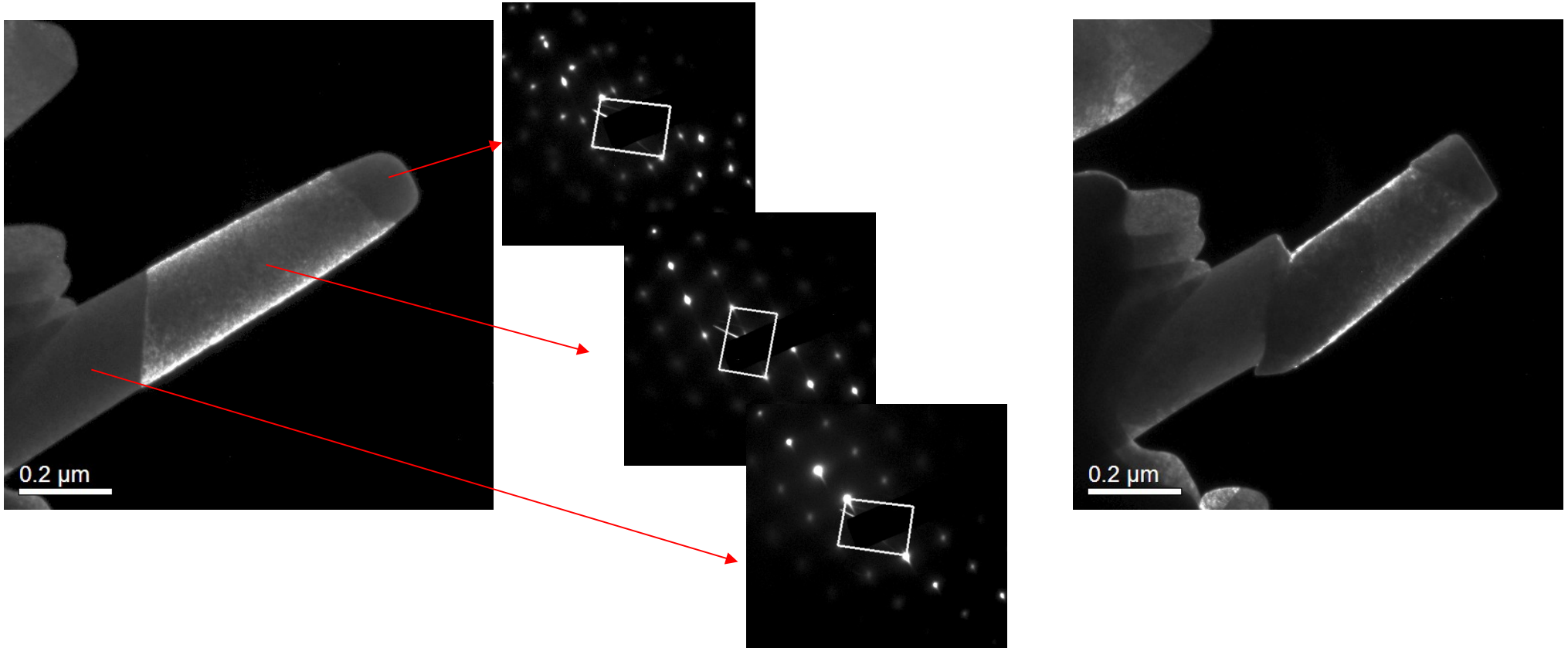
First successful mechanical test in the microscope



Nano-mechanical test: in the microscope (*in situ*)



Nano-mechanical test: in the microscope (*in situ*)



Grain boundaries: interplay between modeling and high resolution electron microscopy

Frédéric Lançon, Damien Caliste, Jean-Luc Rouvière ; **Grenoble**, France
J. Ye, A. Minor, A. Gautam, C. Ophus, Ulrich Dahmen ; **Berkeley**, USA

— Fruitful cross-talk between experiment, simulation and theory:

electron microscopy ↔ computer experiment ↔ theoretical prediction ↔ nanomechanical test

